

# ZsimOpt training

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[www.zset-software.com](http://www.zset-software.com)



# Identification of material coefficients



- Identification of the constitutive equations (Chaboche model)
- Identification of viscoplastic behavior of IN738 for each temperature (20°C, 300°C, 500°C, 700°C, 850°C)
  - Calibration of the viscous effect on monotonic tests
  - Calibration of isotropic and kinematic hardenings on cyclic tests
- Fit analytical functions on the coefficients temperature evolution
- Identification of analytical functions coefficients on the whole database
- Verification on anisothermal tests

# Plan



- 1 Experimental database
- 2 Material model
- 3 Calibration strategy

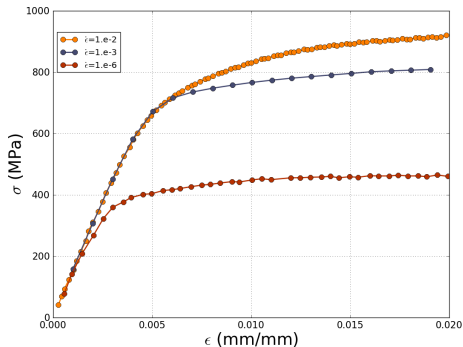
# Plan



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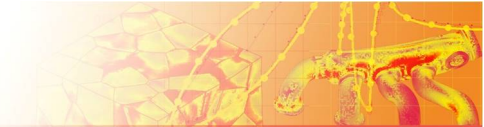
# Experimental database

## ■ Tensile tests at various strain rates



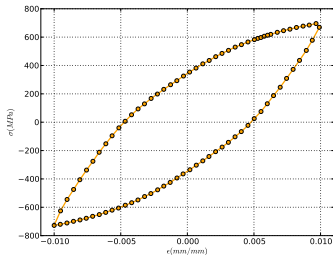
- EXP/tenx2.exp – strain rate  $1.e-2 \text{ s}^{-1}$
- EXP/tenx3.exp – strain rate  $1.e-3 \text{ s}^{-1}$
- EXP/tenx6.exp – strain rate  $1.e-6 \text{ s}^{-1}$

# Experimental data base

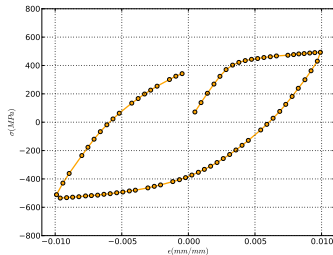


- Strain controlled cyclic tests,  $\epsilon = [-0.01 : 0.01]$

$$\dot{\epsilon} = 10^{-3} \text{ s}^{-1}$$



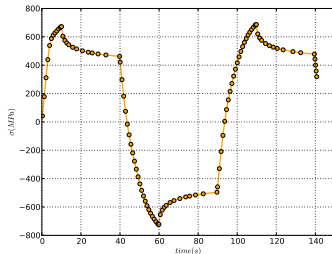
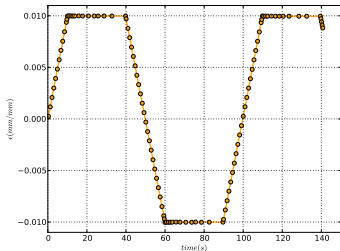
$$\dot{\epsilon} = 10^{-5} \text{ s}^{-1}$$



- EXP/lcf1x3.exp – strain rate  $1.e-3 \text{ s}^{-1}$
- EXP/lcf1x5b.exp – strain rate  $1.e-5 \text{ s}^{-1}$



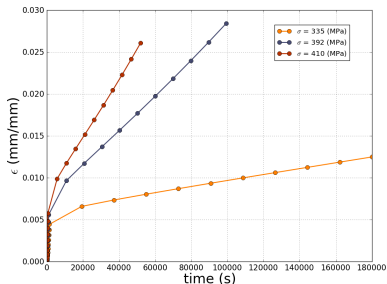
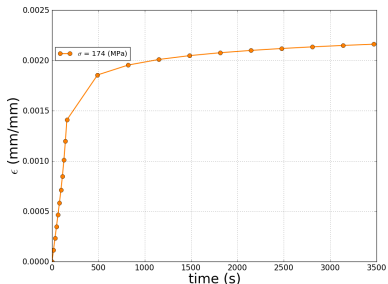
- Strain controlled cyclic+relaxation tests,  $\epsilon = [-0.01 : 0.01]$



- EXP/frlx3.exp – strain rate 0.001/s



## Creep tests



- EXP/cr174.exp :  $\sigma=174$  MPa
- EXP/cr335.exp :  $\sigma=335$  MPa
- EXP/cr392.exp :  $\sigma=392$  MPa
- EXP/cr410.exp :  $\sigma=410$  MPa



# Plan

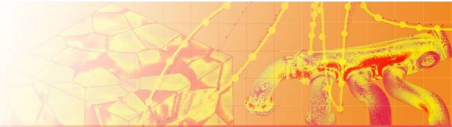


1 Experimental database

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# The Chaboche model



- $\epsilon^e$  and  $\epsilon^{vp}$  are the elastic and viscoplastic strain tensors,
- $\epsilon^{th}$  is the thermal strain,
- $J(\cdot)$  is the von Mises invariant of a second-order tensor,
- $v$  is the plastic multiplier (cumulated viscoplastic deformation),
- $\tilde{n}$  is the normal to the yield surface.

Strain partition:

$$\epsilon = \epsilon^e + \epsilon^{th} + \epsilon^{vp}$$

Elasticity:

$$\sigma = \tilde{\mathbf{E}} : \epsilon^e$$

Plasticity criterion:

$$f(\sigma) = J(\sigma_{eff}) - R \quad \text{with} \quad \sigma_{eff} = \sigma - \chi$$

Norton flow rule:

$$\dot{v} = \left\langle \frac{f(\sigma)}{K} \right\rangle^n$$

Normality rule:

$$\dot{\epsilon}^{vp} = \dot{v} \tilde{n} \quad \text{with} \quad \tilde{n} = \frac{3}{2} \frac{\text{dev}(\sigma_{eff})}{J(\sigma_{eff})}$$

Non-linear kinematic hardening:

$$\dot{\chi} = \frac{2}{3} C \dot{\alpha} \quad , \quad \dot{\alpha} = \dot{v} (\tilde{n} - D \alpha)$$

Constant isotropic hardening:

$$\dot{R} = R_0 \dot{v}$$

5 coefficients for each temperature :  $K, n, R_0, C, D$

# The Chaboche model



- Additional visco-plastic potential for creep behavior (slow evolutions)

Strain partition:

$$\tilde{\epsilon} = \tilde{\epsilon}^e + \tilde{\epsilon}^{th} + \tilde{\epsilon}^{vp} + \tilde{\epsilon}_s^{vp}$$

Norton flow rule:

$$\dot{v}_s = \left\langle \frac{f(\tilde{\sigma})}{K_2} \right\rangle^{n_2}$$

Normality rule:

$$\dot{\tilde{\epsilon}}_s^{vp} = \dot{v}_s \tilde{\mathbf{n}} \quad \text{with} \quad \tilde{\mathbf{n}} = \frac{3}{2} \frac{\text{dev}(\tilde{\boldsymbol{\sigma}}_{\text{eff}})}{J(\tilde{\boldsymbol{\sigma}}_{\text{eff}})}$$

Constant isotropic hardening:  $R = R_{02} = 0$

2 more coefficients for each temperature :  $K_2, n_2$

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# Calibration strategy

- load Chaboche model (create template)
- load experiments
- optimization on tensile tests, first potential
  - create simulations
  - create optimizations
  - no kinematic hardening ( $C=1.$ ), optimize  $K, n, R_0$
- optimization on cyclic tests (including cyclic+relaxation tests), first potential
  - create simulations
  - create optimizations
  - $n$  - fixed, optimize  $K, R_0, C, D$
  - release  $n$  and optimize  $n, K, R_0, C, D$
- optimization on creep tests, second potential
  - create simulations
  - create optimizations
  - $n, K, R_0, C, D$  - fixed, optimize  $n_2, K_2$